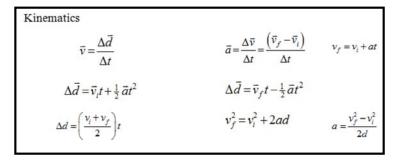
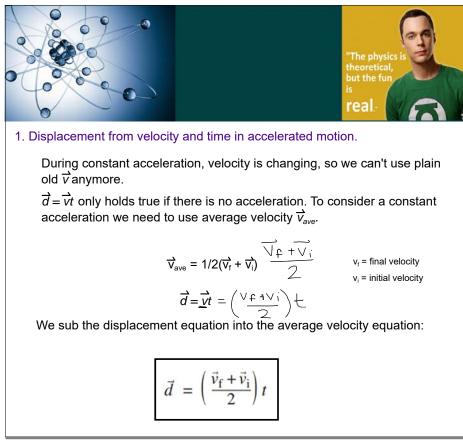


1.5 The Kinematics Equations

We derive the Kinematics Equations by substituting some old equations to form new ones. We will look at three new equations, how they were derived and examples using them to study objects with constant acceleration.

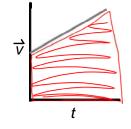


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We can connect several ideas at this point. The area under the curve of a velocity-time graph is displacement:



$$A_{\text{trapezioid}} = (\underline{h_1 + h_2})\underline{b} \qquad \vec{d} = \left(\frac{\vec{v}_f + \vec{v}_i}{2}\right)t$$

The area under the curve forms a trapezoid.

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Ex.) An animal moves with a velocity of 3.00 m/s [E] and accelerates constantly. If the velocity after 4.70 s is 15 m/s [E], what is the displacement of the object?

$$\overline{V}_{i} = +3.00 \text{ mls} \qquad \overline{d} = \left(\frac{\overline{V}_{p+1}\overline{V}_{i}}{2} \right) t = \left(\frac{+15 \text{ mls} + +3.00 \text{ mls}}{2} \right) 470s$$

$$\overline{V}_{p} = +15 \text{ mls} \qquad \overline{d} = \frac{+12 \text{ mls} + +3.00 \text{ mls}}{2} + 70s$$

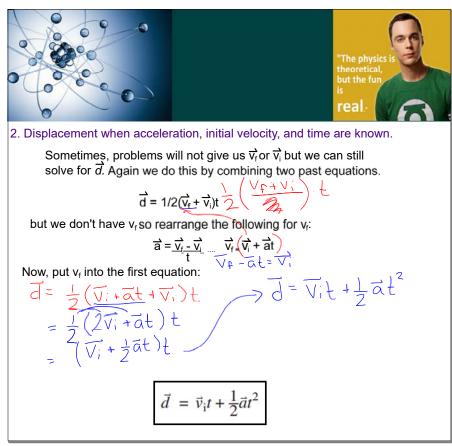
$$\overline{d} = \frac{+12 \text{ mls}}{2} = \frac{-42 \text{ mls}}{2}$$



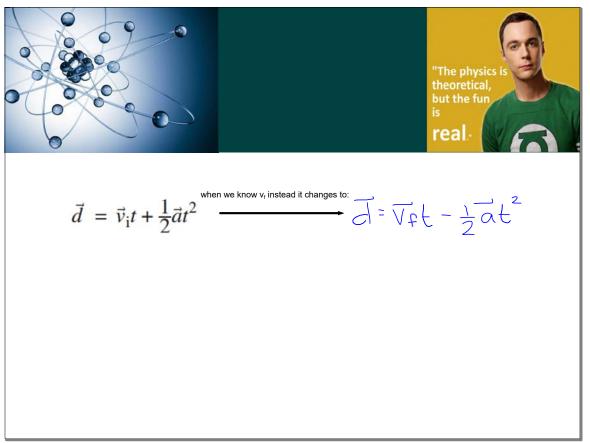
Ex.) A driver accelerates constantly to a velocity of $^+7.5$ m/s during 4.5 s. The driver's displacement is 19 m [E]. What is the initial velocity?

$$\vec{V}_{f} = +7.5 \text{ mls} \qquad \vec{d} = \left(\frac{\vec{V}_{i} + \vec{V}_{f}}{2} \right) \vec{L} \\
 \vec{L} = 4.5 \text{ mls} \qquad +19 \text{ mls} = \left(\frac{\vec{V}_{i} + +7.5 \text{ mls}}{4.5 \text{ mls}} \right) \vec{L} \\
 \vec{J} = +19 \text{ mls} \qquad +19 \text{ mls} = \left(\frac{\vec{V}_{i} + +7.5 \text{ mls}}{4.5 \text{ mls}} \right) \vec{L} \\
 \vec{J} = \frac{7}{4.55} \qquad -\frac{2}{4.55} \\
 \vec{L} = \frac{7}{4.55} \qquad -\frac{2}{4.55} \\
 \vec{L} = \frac{7}{4.55} \quad -\frac{2}{5} \\
 \vec{N}_{i} = +0.94 \text{ mls} \\
 \vec{V}_{i} = 0.94 \text$$

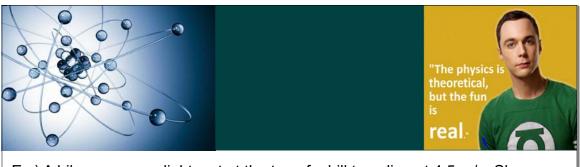
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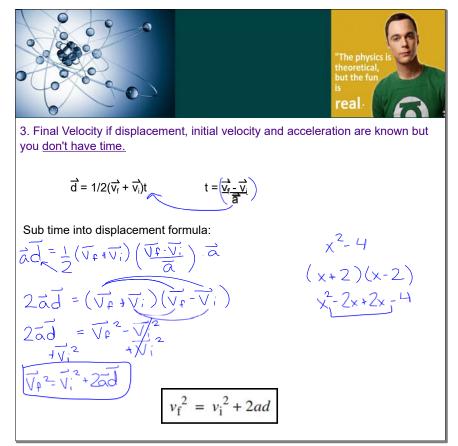


Ex.) A biker passes a lightpost at the top of a hill traveling at 4.5 m/s. She accelerates down the hill at a constant rate of 0.40 m/s² for 12.0 s. How far down the hill did she move?

 $\overline{d} = \overline{V}_1 t + \frac{1}{2} \overline{a} t^2$ - 7 = $(4.5 \text{ m/s})(12.0 \text{ s}) + (\frac{1}{2})(0.40 \text{ m/s}^2)(12.0 \text{ s})^2$ = (83 m [down He hill]) $\overline{V}_i = 4.5 \text{mls}$ $\overline{a} = 0.40 \text{mls}^2$ t= 12.05

"The physics i theoretical, but the fun real Ex.) A sheep starts from rest and accelerates at a constant rate of 3.15 m/s² 350 forward for 28.65 s. What is the displacement during this time? $\overline{d} = \overline{V_1 + \frac{1}{2}} \overline{a} t^2$ $V_{i} = Omls$ $\bar{a} = 3.15 m ls^2$ $= \left(\frac{1}{2}\right) (3.15 \text{m} 1\text{s}^{2}) (28.65 \text{s})^{2}$ t= 28.655 [.29 x 10³ [forward] 7=7

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"The physics theoretical, but the fun real Ex.) A cannon is shot with initial velocity of +15 m/s. The cannon ball travels for 50 m with a constant acceleration of 2.5 m/s^2 . What is the final velocity of the VE 2= V12 + 2ad ball? $\overline{V}_{i} = +15mls$ $\overline{d} = +50m$ $\overline{a} = +2.5mls^{2}$ $\overline{V_{f}}^{2} = (\frac{1}{5} \text{m}/\text{s})^{2} + 2(\frac{12.5 \text{m}/\text{s}^{2}}{15})(\frac{150 \text{m}}{50})$ $\overline{V_{4}}^{2} = \int 475 \, \text{m}^{2} \text{ls}^{3}$ $V_{f} = 7$ = 22mls

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Hints:

1. When you list all the variables that are given to you in the question, it should be clear which kinematics equation should be used with the information given. It will usually be the only equation that has one unknown after plugging in all your data.

2. This Unit is called Kinematics. All the equations you need to consider for Kinematics are neatly organized in a Kinematics section on your formula sheet:

Kinematics			
$\vec{v} = \frac{\Delta \vec{d}}{\Delta t}$	$\bar{a} = \frac{\Delta \bar{v}}{\Delta t} = \frac{\left(\bar{v}_{f} - \bar{v}_{i}\right)}{\Delta t}$	$v_f = v_i + at$	
$\Delta \vec{a} = \vec{v}_i t + \frac{1}{2} \vec{a} t^2$	$\Delta \vec{d} = \vec{v}_f t - \frac{1}{2}\vec{a}t^2$		
$\Delta d = \left(\frac{v_i + v_f}{2}\right)t$	$v_f^2 = v_i^2 + 2ad$	$a = \frac{v_f^2 - v_i^2}{2d}$	Pg. 53 # 1-7