

Ex.) Determine the number of arrangements of the letters in the word BRAINS:

a) with no restrictions

$$6 \cdot 5 \cdot 4 \cdot 3 \cdot 2 \cdot 1 = 6! = \boxed{720}$$

b) with all the vowels together

$$\underline{2} \cdot \underline{1} \cdot \underline{4} \cdot \underline{3} \cdot \underline{2} \cdot \underline{1} = 2!5! = \boxed{240}$$

c) with vowels not together x5

total arrangements — vowels together = vowels not together

$$720 - 240 = \boxed{480}$$

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Repetitions: - identical objects, repeating letters

- divide by the repeats

$$\text{total} \rightarrow \frac{n!}{a!b!c!}$$

↑↑↑
repeats

Ex.) KISSING

a) no restrictions

$$\frac{7!}{(2!2!)} = \boxed{1260}$$

b) SS are first

$$\frac{\cancel{2} \cdot \cancel{1} \cdot 5 \cdot 4 \cdot 3 \cdot \cancel{2} \cdot \cancel{1}}{\cancel{2} \cdot \cancel{2}} = \boxed{60}$$

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$\text{probability} = \frac{\text{events}}{\text{number of outcomes}}$



Ex.) You have 15 lollipops and an equal amount of red, green, yellow. How many possible arrangements are there?

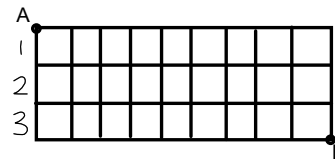
5 of each colour

$$\frac{15!}{(5!5!5!)} = \boxed{756756}$$

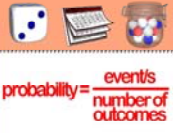
Ex.) How many pathways are there from A to B?

total $\rightarrow \frac{12!}{3!9!} = \boxed{220}$

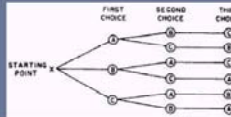
\uparrow vertical \uparrow horizontal



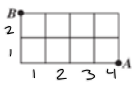
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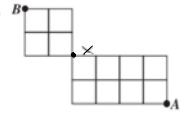
$\text{probability} = \frac{\text{events}}{\text{number of outcomes}}$



Determine the number of different possible routes that Tyler can travel from Point A to Point B if he travels only north or west.

a.  $\frac{6!}{2!4!} = \boxed{15}$

and \times
or $+$

b. 

A to X then X to B
and \times

$$\frac{6!}{4!2!} \times \frac{4!}{2!2!}$$

$$\frac{6 \cdot 5 \cdot 4 \cdot 3 \cdot 2 \cdot 1}{4! \cdot 2!} \times \frac{4 \cdot 3 \cdot 2 \cdot 1}{2! \cdot 2!}$$

$$15 \times 6 = \boxed{90}$$

Pg. 81 # 1, 3-6, 11.

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$$\text{probability} = \frac{\text{event/s}}{\text{number of outcomes}}$$



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